

Matlab.(R 2009a) 7.8.0

## Using Hidden Markov Models in the Recognition of Hand Gesture

### ABSTRACT

In this paper, we used the Algorithm of Hidden Markov Models, to know gesture of hand as a frame taken by video post with three movements and we use Threshold Model within algorithm. We

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suggest two threshold model and we find that Hidden Markov Models used with a threshold model give good results with best smallest replication. All algorithms are written using the language Matlab. (R 2009a) 7.8.0

:Introduction -1

(i j)

.[4]

(j)

(i)

(frame)

[2].

:

.( )

(Frame)

[5].

**Hand Gesture: -2**

. [13]

Hidden Markov

Models(HMM)

[7].



(X,Y)

[Bobik

.HMM

[ Lee and Kim, 1999]

and Wilson, 1997]

HMM

[Bobik and Wilson, 1997]

HMM

.[10]

[7].

:[9]

Hidden Markov Models

-3

Andrei ) (90)

(HMMs)

(Markov

[4].(MMs)

(HMMs)

(HMM)

. [12] [5] .

$\lambda = (A, B, \pi)$

(MM)

[13] [3].  $\lambda = (A, \pi)$

**(The Basic Problems for HMMs)**

:

**:(Evaluation Problem)**

.1

$p(O|\lambda)$

$\lambda = (A, B, \pi)$

]

. [14] [6] [4] [Forward-Backward Algorithm

**:(Forward Algorithm)**

:

$\alpha(-Pass)$

$\alpha_i(i)$

. [7]

$(\lambda)$

$(t)$

$S_i$

$O_1, O_2, \dots, O_t$

:

$$\alpha_t(i) = P(O_1, O_2, O_3, \dots, O_t, q_t = S_i | \lambda) \tag{1}$$

(T) (N)

[4]

(Initialization) .1

$$\alpha_1(i) = \pi_i \cdot b_i(O_1) \quad ; i=1,2,\dots,N \tag{2}$$

( Induction ) ( ) .2

; j=1,2,...N (3)

$$\alpha_t(j) = \left[ \sum_{i=1}^N \alpha_{t-1}(i) a_{ij} \right] \cdot b_j(O_t)$$

; t= 2,3,...T

(Termination) .3

$$P(O | \lambda) = \sum_{i=1}^N \alpha_T(i) \tag{4}$$

(Backward Algorithm) :

(β -pass) (β<sub>t</sub>(i))

(t) (S<sub>i</sub>) O<sub>t+1</sub>, O<sub>t+2</sub>, ..., O<sub>T</sub>

: (λ)

$$\beta_t(i) = P(O_{t+1}, O_{t+2}, \dots, O_T | q_t = S_i, \lambda) \tag{5}$$

: (T)

. [11] [3] 1..... ← T-2 ← T-1 ← T

(T) (N)

. [14] [4] :

(Initialization) .1

$$\beta_T(i) = 1 \tag{6}$$

(Induction) ( ) .2

; i=1,2,...,N (7)

$$\beta_t(i) = \sum_{j=1}^N a_{ij} b_j(O_{t+1}) \beta_{t+1}(j)$$

; t=T-1, T-2, ..., 1

(Termination) .3

$$p(O | \lambda) = \prod_{i=1}^N \alpha_t(i) \beta_t(i) \quad \forall(t) \tag{8}$$

(Training Problem) .3

$$\lambda = (A, B, \pi)$$

$$O = \{o_1, o_2, \dots, o_T\} \quad p(O|\lambda)$$

. [8] [12] [Baum-Welch Algorithm]

(Scaling)

Hidden Markov )

(Models

(BW)

( ) (γ i(i))

(β̂<sub>t</sub>(i) α̂<sub>t</sub>(i)) β<sub>t</sub>(i) α<sub>t</sub>(i)

[8] [12] [4] (π̄<sub>i</sub> b̄<sub>j</sub>(k) ā<sub>ij</sub>)

:(Thresholding) -4

[1].(Special hardware)

\*

[1].

[Hyeon and jen, 1999]



(Threshold Model)

$$a_{(i,j)} = \frac{1 - a_{(i,j)}}{N} \quad \text{for all } j, i \neq j \quad \dots \quad (9)$$

$N \times N$

$a_{ij}$

[6]:

$N$

:

:

1-4

$\pi_i$

$$a_{ij} = \frac{a_{ij}}{1 - \pi_i} \quad \text{for all } j, i \neq j \quad \dots \quad (10)$$

:

$\pi_i$

.....

[56]

$\pi_t$

.

:

2-4

N×N

[-1,1]

(Saddle Point)

$$a_{ij} = \frac{1 - \cos(a_{ij})}{N-1}$$

for all  $j, i \neq j$  ..... (11)

.HMM

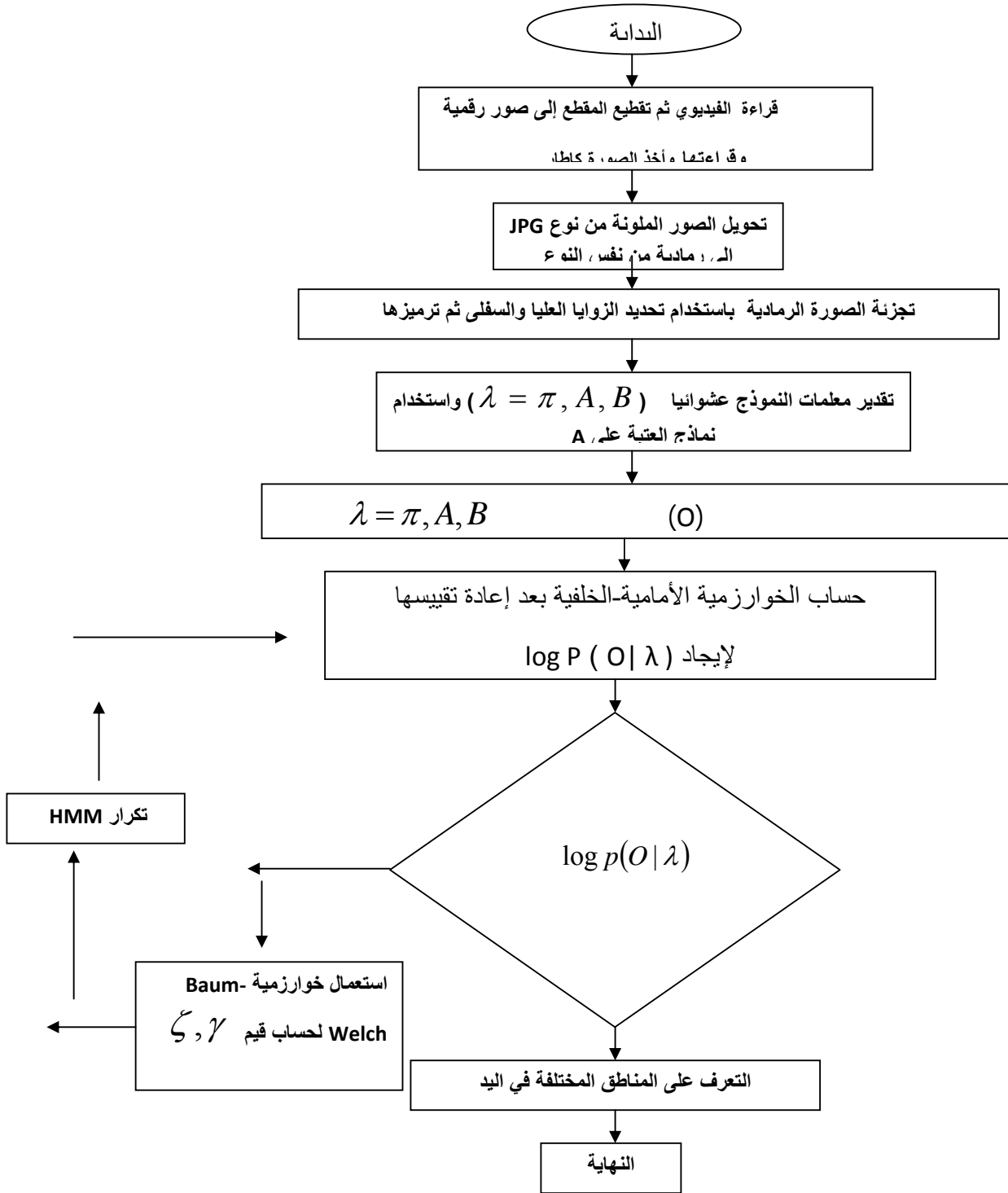
:

-5

:

1-5

:



(Image Reading) :

: (l)  
 (3) .1  
 (JPG) (406×565)  
 . (JPG)  
 (JPG) (326×484) .2  
 .(4)  
 (JPG) (326×484) .3  
 .(5)



hand1

(3-b)

(hand1 (jpg406×565 )

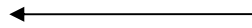


hand

(3-a)

(3)





hand2

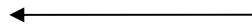
(4-b)

hand

(4-a)

hand2 (214×292

(4)



(5-b)

hand

(5-a)

hand3 (272×428 jpg)

(5)

(Image Segmentation)

:

(x,y)

.....

(x,y)  
(k) ) (K)  
:

(1)

Space of hand	Fingers	palm	No hand
1	2	3	4

( )

(O)

(T=229390)

(3)

(T=62488) (4)

(T=116416) (5)

:

:(3)

O1=[1;1;1;1;1;1;1;1;1;1;1;1;1;1;1;1;4;4;4;4;4;1;1;1;1;1;4;4;4;4;4;3;  
3;3;3;3;3;3;3;1;1;1;1;4;4;4;4;4;4;4;4;2;2;2;2;2;2;2;2;2;2;2;2;2;2;2;  
2;2;2;4;4;4;4;4;4;4;4;4;4;4;1;1;1;1;1;1;.....]

:(4)

O2=[1;1;1;1;1;1;1;1;1;1;1;1;1;1;1;1;1;1;4;4;4;4;4;4;4;4;3;3;3;3;1;1;1;1;  
4;4;4;4;4;4;4;4;2;2;2;2;2;2;2;2;2;2;4;4;4;4;4;4;4;4;4;4;1;1;1;1;1;1;2;2;  
2;2;2;2;2;2;2;2;1;1;1;1;1;1;1;1;.....]

:(5)

O3=[1;1;1;1;1;1;1;1;1;1;1;1;1;1;1;1;1;1;4;4;4;4;4;4;4;4;1;1;1;1;4;4;4;3;3;3;  
3;3;4;4;4;4;4;4;2;2;2;2;2;2;2;2;2;2;2;1;1;1;1;1;1;4;4;4;4;4;4;4;4;4;2;2;  
2;2;2;2;2;2;2;2;1;1;1;1;1;1;1;1;.....]

:

**(Matrixes Based of Hidden Markov Model)**

$\lambda = (\pi, A, B)$

[ $\pi$ ]  
(B) (1/N) (A) (1/N)  
(1/M)  
.[12]

(1/2) [ $\pi$ ]  
(1/5) (B) (1/2) (A)

(rand)

.....

:

:

$\lambda = (\pi, A, B)$       (O)

$(\alpha), (\beta)$       -

(T=116416)      ,      (T=62488)      ,      P(O| $\lambda$ )

(T=229390)

$(\alpha), (\beta)$       ,

$(\hat{\alpha}), (\hat{\beta})$

(Baum-Welch)

$$\lambda = (\pi, A, B)$$

$$\lambda = (\pi, A, B)$$

$\log p(O | \bar{\lambda})$

$(\pi), (A), (B)$

, (A)      ,       $[(\alpha), (\hat{\alpha}), (\beta), (\hat{\beta}), (\gamma), (\zeta)]$

,       $\log P(O | \bar{\lambda})$       (  $\pi$  ), (B)

( )

( $\bar{B}$ )

( $\bar{B}$ )

( $\bar{B}$ )



2-5

:



(JPG) (3)

(JPG)

(406×565)

:

(58)

$\log P(O | \bar{\lambda})$

$$\log P(O | \bar{\lambda}) = -1.6763e+004$$

(58)

( $\pi$ )

$$\bar{\pi} = [0.0000 \quad 1.0000]$$

( $\bar{A}$ )

$$\bar{A} = \begin{bmatrix} 0.9938 & 0.0062 \\ 0.0007 & 0.9993 \end{bmatrix}$$

(58)

( $\bar{B}$ )

	No Hand	fingers	palm	Space of Hand
Hand	0.0000	0.0855	0.01105	0.8040
NoHand	1.0000	0.0000	0.0000	0.0000

.....

(JPG) (4)

(JPG) (214×292)

: (61)  $\log P(O|\bar{\lambda})$

$\log P(O|\bar{\lambda}) = -2.1443e+003$

: (61) ( $\pi$ )

$\bar{\pi} = [0.0000 \quad 1.0000 \quad ]$

$\bar{A} = \begin{bmatrix} 0.9853 & 0.0147 \\ 0.0014 & 0.9986 \end{bmatrix} :$  ( $\bar{A}$ )

: (61) ( $\bar{B}$ )

	No Hand	fingers	palm	Space of Hand
Hand	0.0000	0.0872	0.0023	0.9104
NoHand	1.0000	0.0000	0.0000	0.0000

: \*

(JPG) (5)  
 (JPG) (272×428)

:

: (35)  $\log P(O|\bar{\lambda})$

$$\log P(O|\bar{\lambda}) = -3.0895e+004$$

: (35) ( $\pi$ )

$$\bar{\pi} = [0.0000 \quad 1.0000]$$

: ( $\bar{A}$ )

$$\bar{A} = \begin{bmatrix} 0.9957 & 0.0043 \\ 0.0037 & 0.9963 \end{bmatrix}$$

: (35) ( $\bar{B}$ )

	No Hand	fingers	palm	Space of Hand
Hand	0.0000	0.1200	0.0001	0.8798
NoHand	1.0000	0.0000	0.0000	0.0000

.....

:

3-5

(3)

(9)

(4)

.(17)

.(13)

(5)

(21)

(10)

:

(3)

(10)

(4)

.(16)

(5)

(17)

.(13)

(3)

(11)

(4)

.(15)

.(11)

(5)

.(17)

:

-6

:

-1

( )

HMM

-2

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