
(Canny, Sobel, Log)

(Canny)

(Sobel, Log)

(Canny)

.Matlab (R2008a) 7.6.0

Using Hidden Markov Models in the Recognition of Face Images and Boundary Brim

ABSTRACT

In this paper, we use algorithm models of Hidden Markov models, which concluded the possibility of recognizing the normal face as well as the face with boundary brims by using (Canny) method. By using other

/ / / 1
/ / / 2
/

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methods, boundary brims of the images can be recognized using (Sobel, Log) which gives good rate of recognition, but Canny method was the best way. Programs of all algorithms were written using Matlab. (R2008a) 7.6.0

:Introduction

. [2]

Hidden Markov Models

(HMMs)

(Andrei Markov)

(90)

. [4] (MMs)

(HMMs)

[11] [6] .

(MM)

(HMM)

$$\lambda = (A, B, \pi)$$

$$.[11] [3] \lambda = (A, \pi)$$

(The Basic Problems for HMMs)

:

(Evaluation Problem) .1

$$p(O | \lambda)$$

Forward-

-

$$] . \lambda = (A, B, \pi)$$

[10] [5] [4] [Backward Algorithm

(Forward Algorithm) :

(α -Pass) $\alpha_t(i)$

$$.[6] (\lambda) (t) S_i O_1, O_2, \dots, O_t$$

:

$$\alpha_t(i) = P(O_1, O_2, O_3, \dots, O_t, q_t = S_i | \lambda) \tag{1}$$

(T) (N)

[4]

.....

(Initialization) .1

$$\alpha_1(i) = \pi_i b_i(O_1) \quad ; i=1,2,\dots,N \quad (2)$$

(Recursion) .2

$$\alpha_t(j) = \left[\sum_{i=1}^N \alpha_{t-1}(i) a_{ij} \right] b_j(O_t) \quad ; j=1,2,\dots,N \quad ; t=2,3,\dots,T \quad (3)$$

(Termination) .3

$$P(O|\lambda) = \sum_{i=1}^N \alpha_T(i) \quad (4)$$

(Backward Algorithm) :

(\beta -pass) (\beta_t(i))

(t) (S_i) O_{t+1}, O_{t+2}, \dots, O_T

: (\lambda)

$$\beta_t(i) = P(O_{t+1}, O_{t+2}, \dots, O_T | q_t = S_i, \lambda) \quad (5)$$

: (T)

. [14] [13] [1] [4] 1 \dots \leftarrow T-2 \leftarrow T-1 \leftarrow T

1.1 البدائية (Initialization)

$$\beta_T(i) = 1 \quad (6)$$

(Recursion) . 2

$$\beta_t(i) = \sum_{j=1}^N a_{ij} b_j(O_{t+1}) \beta_{t+1}(j) \quad ; t=T-1, T-2, \dots, 1 \quad ; i=1, 2, \dots, N \quad (7)$$

(Termination) .3

$$\forall(t) \quad p(O | \lambda) = \sum_{i=1}^N \alpha_t(i) \beta_t(i) \quad (8)$$

(Training Problem) .3

$$\lambda = (A, B, \pi)$$

$$] \cdot \quad O = \{o_1, o_2, \dots, o_T\} \quad p(O|\lambda)$$

[6] [10] [Baum-Welch Algorithm

(Scaling)

(HMMs)

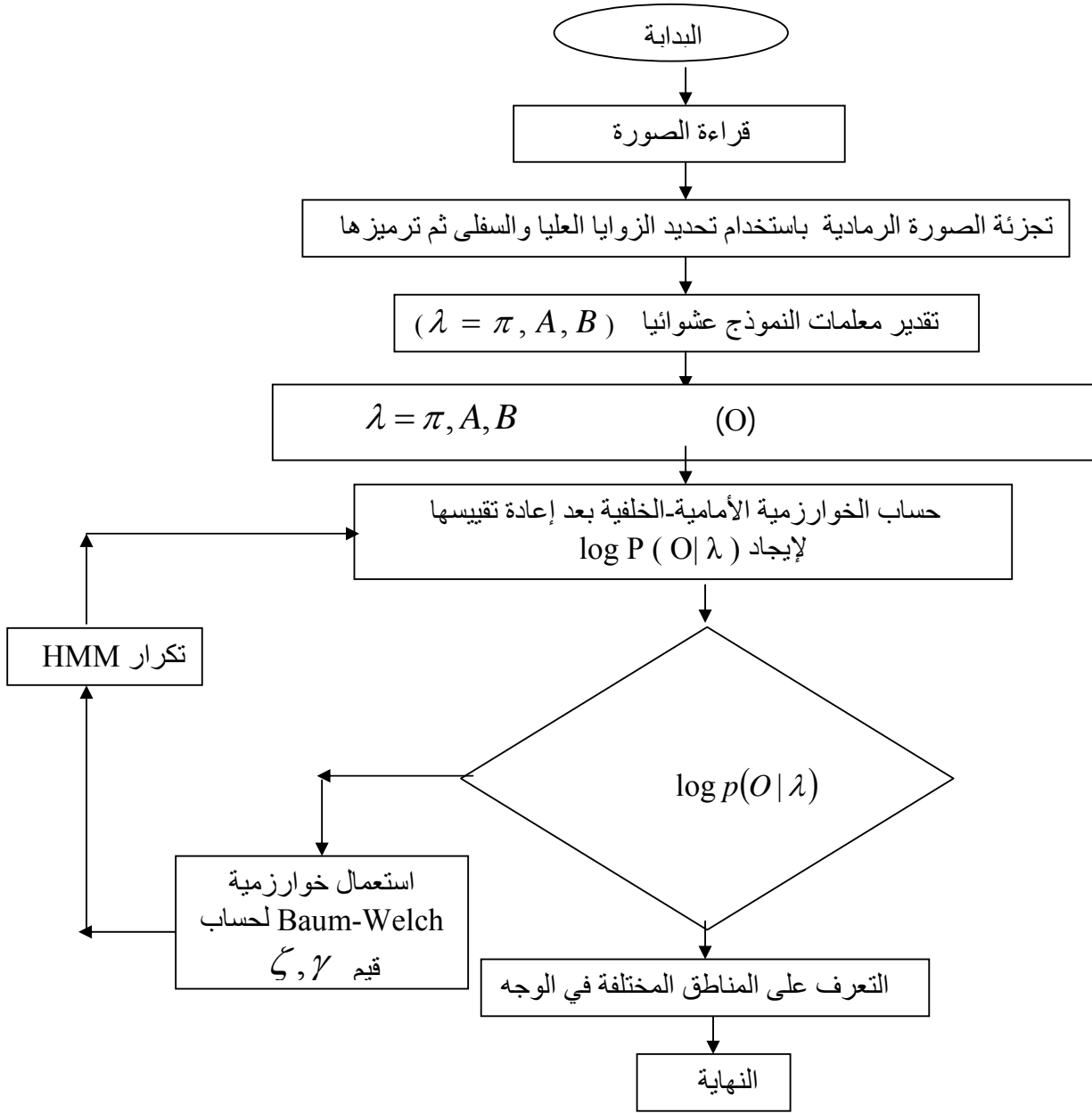
()

$(\gamma_t(i))$ (BW)

$(\hat{\beta}_t(i) \quad \hat{\alpha}_t(i)) \quad \beta_t(i) \text{ and } \alpha_t(i)$

$(\bar{\pi}_i \quad \bar{b}_j(k) \quad \bar{a}_{ij})$

[7] [10] [4]



(Image Reading) :

(I)

:

(2)

.1

(JPG)

(100×100)

(BMP)

(BMP)

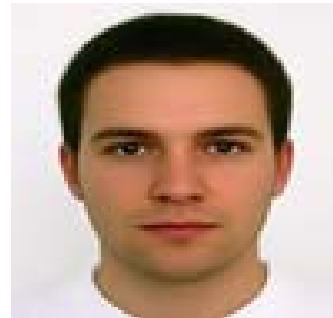
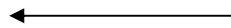
(JPG)

(320×400)

.2

(BMP)

.(3)



face1 (2-b)

face1 (2-a)

face1 (100×100 BMP) (2)



face11 (3-b)



face11 (3-a)



face11 (320x400

(3) JPG)

(Image Segmentation)

:

Matlab

(x,y)

((k)) (K)

:

(1)

Space of face	Eyes	Nose	Mouth	No Face
1	2	3	4	5

()

(O)

.....

(1/2) [π]

(1/5) (B) (1/2) (A)

(rand)

:

λ = (π, A, B) (O)

(α), (β) -

(O) P(O|λ)

(T= 128000) (T=10000)

(α̂), (β̂) (α), (β)

λ = (π, A, B) (Baum-Welch)

λ = (π, A, B)

.

log p(O | λ̄)

(π), (A), (B)

, (A) , [(α), (α̂), (β), (β̂), (γ), (ζ)]

, log P(O | λ̄) (π), (B)

)

(B̄) (

, (B̄)

\bar{B})



(100×100) (2)

(BMP)

: (35) $\log P(O | \bar{\lambda})$

= -4.1124e+003

$\log P(O | \bar{\lambda})$

: (35) ($\bar{\pi}$)

$\bar{\pi} = [0.0000 \quad 1.0000]$

: (\bar{A})

: (35)

$\bar{A} = \begin{bmatrix} 0.9851 & 0.0149 \\ 0.0095 & 0.9905 \end{bmatrix}$

: (35) (\bar{B})

(2)

(35)

\bar{B}

(2)

	No Face	Eyes	Nose	Mouth	Space of Face
Face	0.0000	0.1837	0.0602	0.0579	0.6981
No Face	1.0000	0.0000	0.0000	0.0000	0.0000



(JPG) (3)
 (BMP) (320×400)

:

$$\log P(O | \bar{\lambda}) = -4.2949e+004$$

$$\log P(O | \bar{\lambda})$$

$$(\pi)$$

$$\bar{\pi} = [0.0000 \quad 1.0000]$$

$$(\bar{A})$$

$$(33)$$

$$\bar{A} = \begin{bmatrix} 0.9962 & 0.0038 \\ 0.0022 & 0.9978 \end{bmatrix}$$

$$(\bar{B})$$

$$(3)$$

$$(33)$$

$$\bar{B}$$

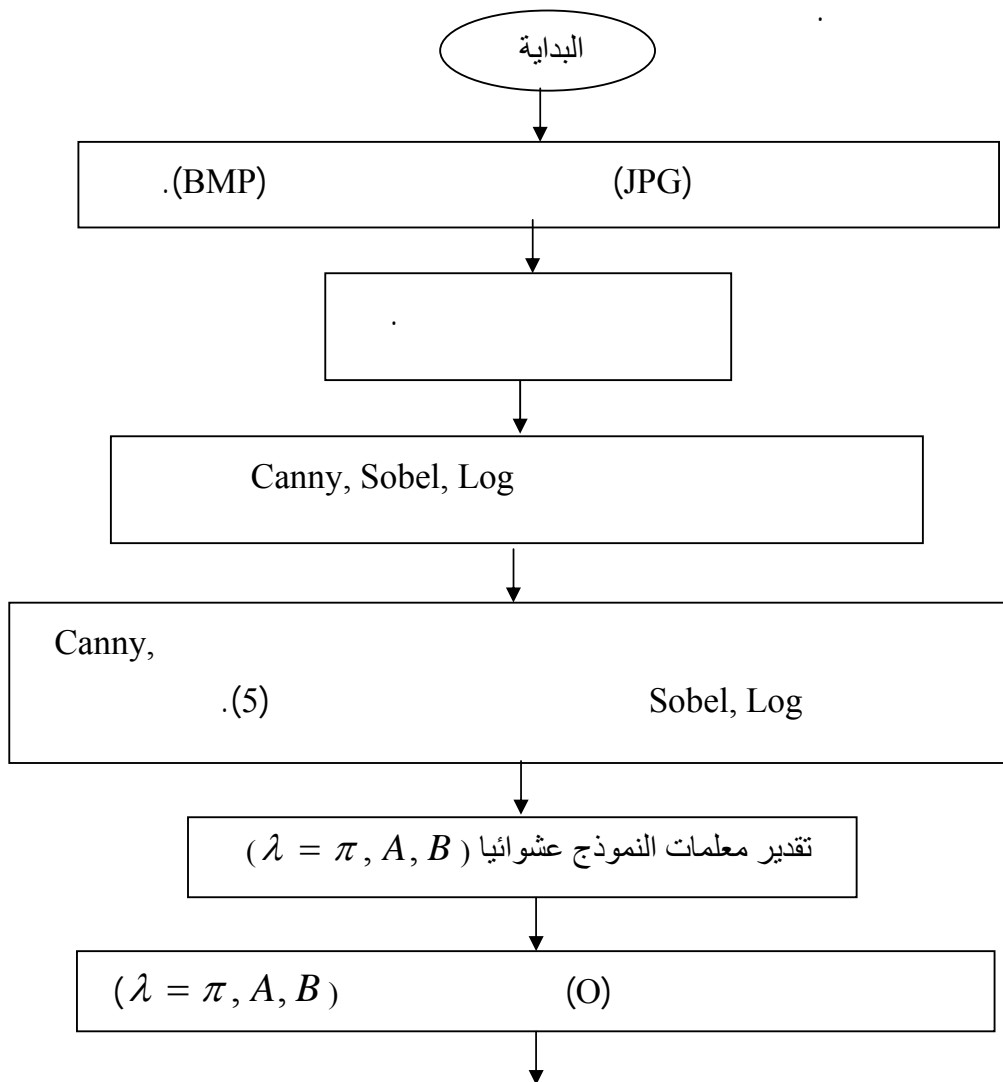
$$(3)$$

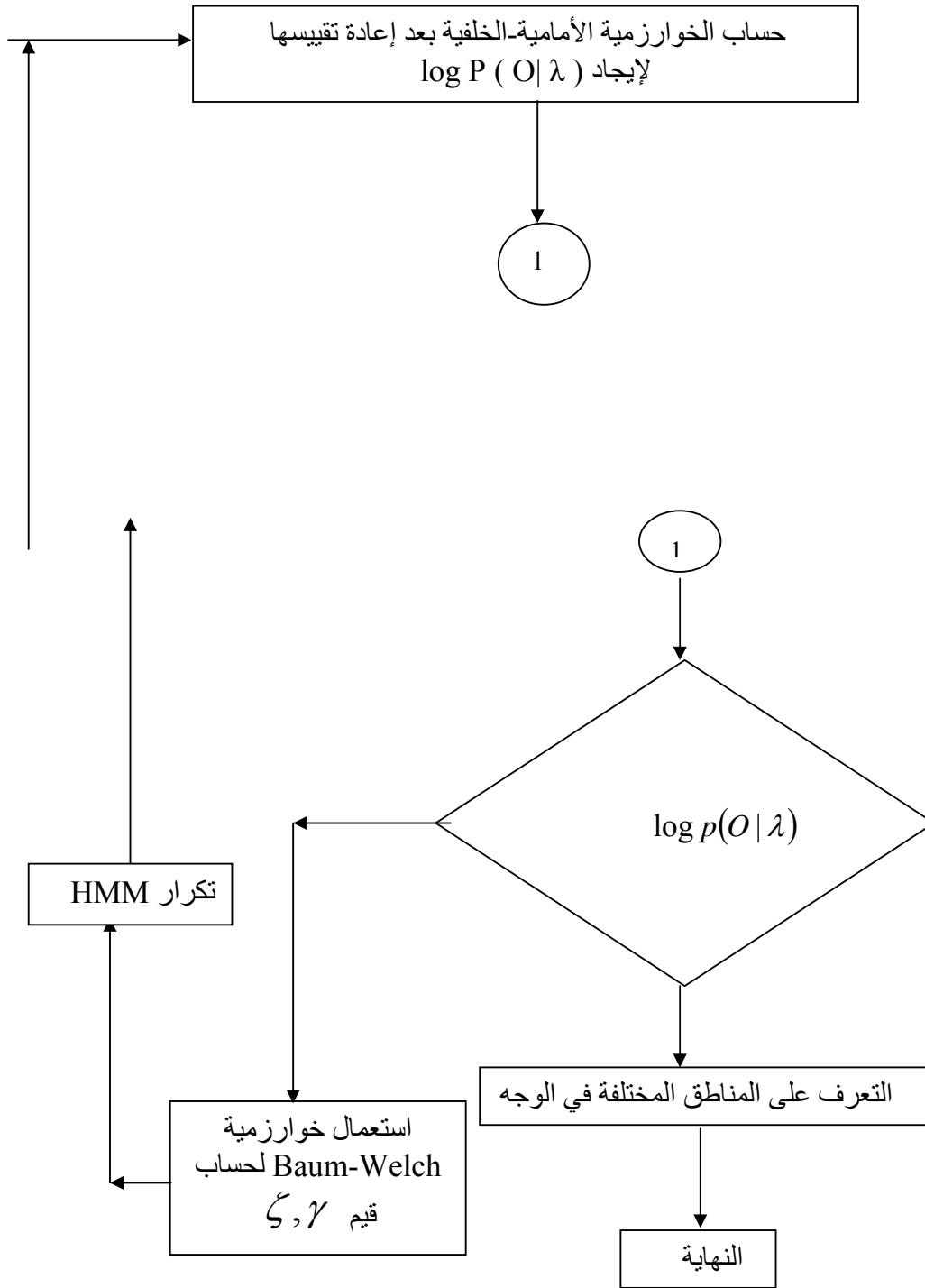
	No Face	Eyes	Nose	Mouth	Space of Face
Face	0.0000	0.1736	0.0494	0.0581	0.7189
No Face	1.0000	0.0000	0.0000	0.0000	0.0000

Recognition of Face Image with Boundary Brim Using Hidden Markov Models

" Log " , " Sobel " , " Canny "

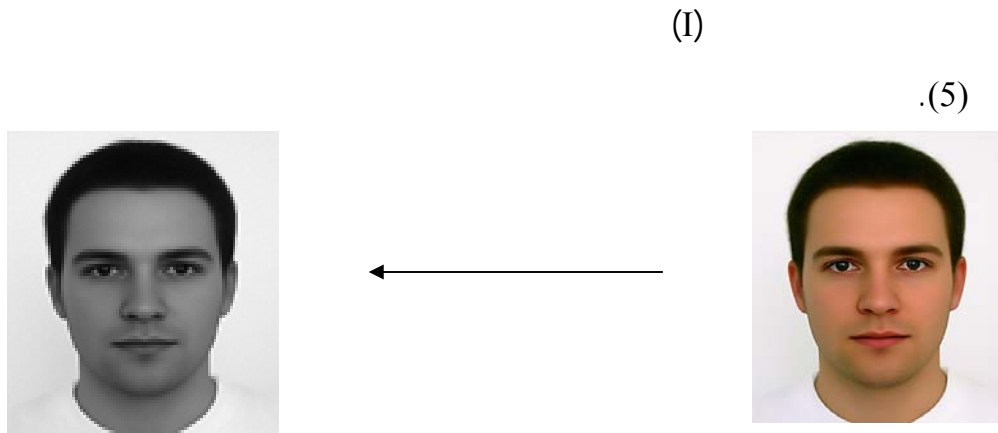
:





(4)

(Image Reading) :



face1 (5-b) face1 (5-a)

face1 (100×100 JPG) (5)

(Image Segmentation) :

(x,y)

(K)

: ((k))

(4)

Eyes	Nose	Mouth
4	3	2

()

(10000)

(O)

(Boundary Brim Appliance) :

" Log " ,"Sobel " ," Canny "



(Sobel)

(6 - b)



(Canny)

(6-a)



(Log)

(6-c)

c- " Log " ,b-" Sobel " , a-"Canny"

(6)

:

0,1,2,3,4

(Matlab)

(5)

(Canny)

:

(Log) (Sobel)

(Canny)

O=[0,0,0,0,0,0,0,0,0,0,0,1,1,1,,1,1,1,,2,2,2,2,2,2,0,0,0,0,0,0,0,0,0,3,3,3,
 3,3,3,4,4,4,4,4,4,4,4,4,4,4,4,0,0,0,0,0,0,0,0,2,2,2,2,2,2,1,1,1,1,1,1,1,3,3,3
 ,3.....]

: (5) (0)

O=[5,5,5,5,5,5,5,5,5,5,5,1,1,1,,1,1,1,,2,2,2,2,2,2,5,5,5,5,5,5,5,5,5,3,3,3,
 3,3,3,4,4,4,4,4,4,4,4,4,4,4,4,5,5,5,5,5,5,5,5,2,2,2,2,2,2,1,1,1,1,1,1,1,3,3,3
 ,3.....]

The Basic Matrices Based of Hidden Markov Model

(A) (1/2) [π]
 (1/5) (B) (1/2)

:

. " Log " , "Sobel " , " Canny "

(Canny)



(Canny)

.(JPG) (100×100) (a-6)

(BMP) (b-5)

.(Canny)

:

: (72) $\log P(O | \bar{\lambda})$

= -1.7414e+003

$\log P(O | \bar{\lambda})$

: (72) (π)

$\bar{\pi} = [0.0000 \quad 1.0000]$

: (\bar{A})

: (72)

$\bar{A} = \begin{bmatrix} 0.9292 & 0.0708 \\ 0.0086 & 0.9914 \end{bmatrix}$

:(5) (72) (\bar{B})

(72) \bar{B} (5)

(Canny)

	No Face	Eyes	Nose	Mouth	Space of Face
Face	0.0000	0.1914	0.1987	0.6099	0
No Face	1.0000	0.0000	0.0000	0.0000	0

(Sobel)



(Sobel)

.(JPG) (100×100) (b-6)
(BMP) (b-5)

(Sobel)

:

: (283) $\log P(O | \bar{\lambda})$

= -1.4668e+003

$\log P(O | \bar{\lambda})$

: (283) (π)

$$\bar{\pi} = [1 \quad 0]$$

(\bar{A})

$$\bar{A} = \begin{bmatrix} 0.9948 & 0.0052 \\ 0.2847 & 0.7153 \end{bmatrix}$$

:

:(6) (283) (\bar{B})

(283) \bar{B} (6)

(Sobel)

	No Face	Eyes	Nose	Mouth	Space of Face
Face	0.0115	0.0017	0.0004	0.0052	0.9812
No Face	1.0000	0.0000	0.0000	0.0000	0.0000

(Log)



(Log)

.(JPG) (100×100) (c-6)
 (BMP) (b-5)

.(Log)

: (281) $\log P(O | \bar{\lambda})$

$\log P(O | \bar{\lambda}) = -1.6698e+003$

: (281)

$$\bar{\pi} = [1 \quad 0]$$

:(281)

(\bar{A})

$$\bar{A} = \begin{bmatrix} 0.9938 & 0.0062 \\ 0.3045 & 0.6955 \end{bmatrix}$$

:(7)

(281)

(\bar{B})

(281)

\bar{B}

(7)

(Log)

	No Face	Eyes	Nose	Mouth	Space of Face
Face	0.0145	0.0028	0.0009	0.0039	0.9779
No Face	1.0000	0.0000	0.0000	0.0000	0.0000

: Conclusions .3

.1

.2

.3

(\bar{B})
(Canny)

.4

(Sobel) (Log)

(Canny)

(Sobel) (Log)

: .5

.1

.2

:References .6

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