

مقارنة بين طريقة السيطرة المضبية والذالة التمييزية في تصنيف بعض آبار محافظة نينوى

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المستخلص

Comparison between the method of Fuzzy Control and Discriminate Function in the classification of some wells Nineveh

Abstract

In this study, the construction of a Fuzzy Inference Control to determine the validity of the quality of ground water wells of some of Nineveh province, through a series of observations that were obtained from the areas under study. To illustrate

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the importance of the model it was compared with the Discriminate Function that classify the individual to the right community. The model , has proved a model of control Fuzzy high efficiency in the determination of the validity of each well is compared to a model Discriminate Function was the only classification of the wells under study where there it is valid or invalid to drink, as well as easy construction of the computational procedures required to build a Fuzzy Inference model compared to complex computational procedures required by the Discriminate Function. The configured model can be used in future to distinguish the quality of any groundwater wells based on qualitative characteristics of the waters.

Keyword: Fuzzy Control, Discriminate Function, groundwater.

: (1)

[2011]

()

(/ 500)

(/ 500)

[2011] .

: (2)

Discriminante Analysis

Multivariate Statistical Analysis

.Discriminate Function

(2005)

: Discriminate Function (1-2)

)

(

(Fisher) Linear Discriminate Function

Non-Linear Discriminate Function

[2004].()

:

L

$$L = \alpha_1 x_1 + \alpha_2 x_2 + \alpha_3 x_3 + \dots + \alpha_k x_k \quad \dots (1)$$

$$\alpha_1, \alpha_2, \alpha_3, \dots, \alpha_k$$

(Between group variation)

.(Within group variation)

.k

$$x_1, x_2, x_3, \dots, x_k$$

:λ

$$\lambda = \text{Between group variation} / \text{Within group variation}$$

(Raykov and Marcoulides, 2008). λ

$\alpha_1, \alpha_2, \alpha_3, \dots, \alpha_k$

: Parameter Estimation of Discriminate Function (2-2)

$$d_i \quad .1$$

$$d_i = \bar{X}_{i(1)} - \bar{X}_{i(2)} \quad , \quad i=1,2,\dots,k \quad \dots (2)$$

$$(n_j - 1)S_{(j)} = \sum_{i=1}^{n_j} [X_{i(j)} - \bar{X}_{(j)}][X_{i(j)} - \bar{X}_{(j)}] \quad , \quad j= 1,2 \quad (\quad)$$

$$S_P^2 = \frac{[(n_1 - 1)S_{(1)} + (n_2 - 1)S_{(2)}]}{n_1 + n_2 - 2} \quad \dots (3)$$

$$\alpha = S^{-1} (\bar{X}_1 - \bar{X}_2) \quad \dots (4)$$

$$\alpha_j^* = \alpha_j \sqrt{V_{jj}} \quad \dots (5)$$

$$.() S_P^2 \quad : V_{jj} \quad :Cutoff Point \quad (3-2)$$

$$L_2 \quad L_1$$

$$L > \frac{1}{2}(L_1 + L_2)$$

$$L < \frac{1}{2}(L_1 + L_2)$$

$$\alpha_0 = -\frac{1}{2}(L_1 + L_2) \quad \dots (6)$$

$$: \quad L \quad \alpha_0 \quad L^*$$

[Anderson, 1984]

$$L^* = \alpha_0 + \alpha_1 x_1 + \alpha_2 x_2 + \alpha_3 x_3 + \dots + \alpha_k x_k \quad \dots (7)$$

$$: \quad L^*$$

$$L^* \begin{cases} > 0 & \text{يتم تصنيف المفردة الى المجموعة الأولى} \\ < 0 & \text{يتم تصنيف المفردة الى المجموعة الثانية} \\ = 0 & \text{لا يمكن اجراء التصنيف} \end{cases}$$

[1979]:

(4-2)

t

$$t = \frac{\bar{X}_{(1)} - \bar{X}_{(2)}}{\sqrt{S_p^2 \left(\frac{1}{n_1} + \frac{1}{n_2} \right)}} \quad \dots (8)$$

$\bar{X}_{(i)}$

S_p^2

(i)

:

(5-2)

[2011

]

:(1)

y	x	
		.1
		.2
		.3
		.4
		.5
		.6
		.7
		.8
		.9
		.10
		.11

$T.H$)

:

(SO_4

$T.S$

$$x = \begin{bmatrix} 184 & 1129 & 190 \\ 600 & 1834 & 500 \\ 500 & 873 & 212 \\ 561.5 & 1293 & 446 \\ 480 & 830 & 375 \\ 270 & 396 & 17 \end{bmatrix} \quad y = \begin{bmatrix} 1766 & 10164 & 476.6 \\ 1350 & 4469 & 2150 \\ 2350 & 4524 & 225 \\ 2840 & 5708 & 330 \\ 1460 & 3131 & 1700 \\ 2440 & 3082 & 1850 \end{bmatrix}$$

:

$$\underline{d} = \begin{bmatrix} 1601.8 \\ 4120.5 \\ 831.93 \end{bmatrix} = \begin{bmatrix} \text{العسرة الكلية} \\ \text{المواد الصلبة الكلية} \\ \text{الكبريتات} \end{bmatrix}$$

$$S_p^2 = \begin{bmatrix} 192300 & -8000 & -136500 \\ -8000 & 3584200 & -612100 \\ -136500 & -612100 & 393600 \end{bmatrix}$$

: (α)

$$\alpha = \begin{bmatrix} 0.018518 \\ 0.0036064 \\ 0.014145 \end{bmatrix}$$

: (α^*)

$$\alpha^* = \begin{bmatrix} 8.1206 \\ 6.8277 \\ 8.8737 \end{bmatrix} = \begin{bmatrix} \text{العسرة الكلية} \\ \text{المواد الصلبة الكلية} \\ \text{الكبريتات} \end{bmatrix}$$

[WHO,1985]

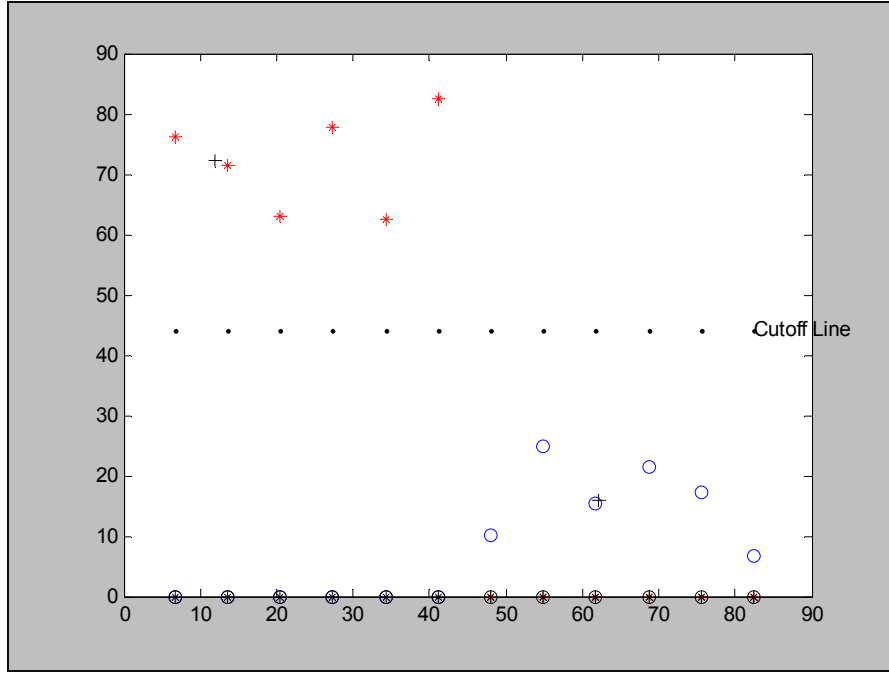
($t = 12.9948$)

: Cutoff Point

$$\alpha_0 = 44.0765$$

:

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(1):

(6-2)

α_0

: L^* L

$$L^* = \begin{bmatrix} -23.5847 \\ -31.4246 \\ 35.0080 \\ -30.4466 \\ 3.6820 \\ 45.4294 \\ -6.2742 \\ 73.6804 \\ -36.1831 \end{bmatrix}$$

:

(2):

: Crisp Sets and Fuzzy Sets

(3)

[Sivanandam, et al., -:

2007]

$$\mu_A(x) \xrightarrow{\text{yields}} \{0, 1\}$$

(1)

A
 A

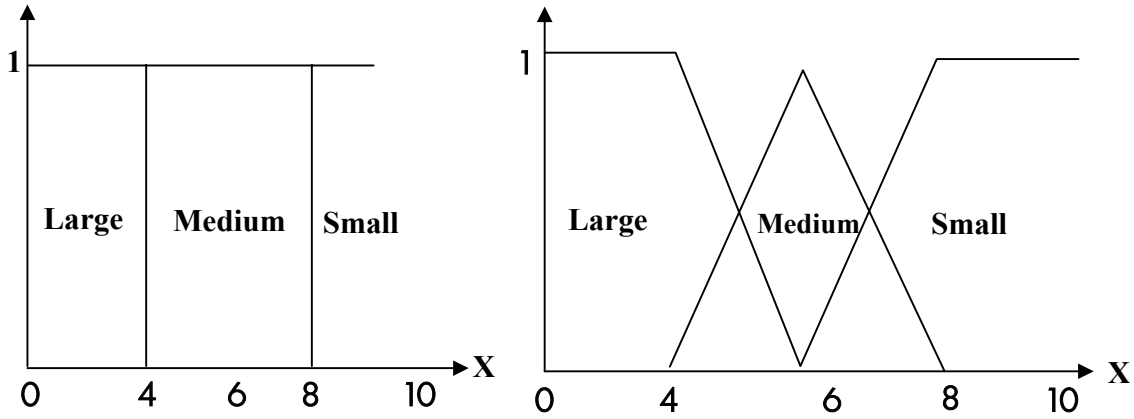
x

(0)

: $\mu_A(x)$

(Membership Degree)

[1,0]



:(2)

[Math works Inc., 2001]: Membership Functions

(4)

:(Triangular-Shape)

-1

$$\mu_A(x) = \begin{cases} 1 - \frac{|x-a|}{c} & ; a - c \leq x \leq a + c \\ 0 & ; \text{otherwise} \end{cases} \quad \dots (9)$$

:(Trapezoidal-Shape)

-2

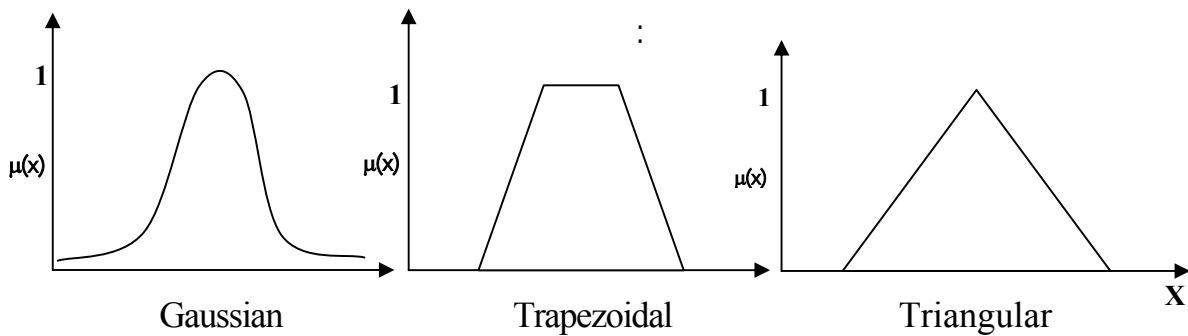
$$\mu_A(x) = \begin{cases} \frac{(a-x)}{(a-b)} & ; a \leq x \leq b \\ 1 & ; b \leq x \leq c \\ \frac{(d-x)}{(d-c)} & ; c \leq x \leq d \\ 0 & ; \text{otherwise} \end{cases} \quad \dots (10)$$

: (Bell-Shape)

-3

: (Gaussian Function)

$$\mu_{A(x)} = e^{-\frac{(x-a)^2}{2b^2}} \quad \dots (11)$$



:(3)

[Xuzhu, et al., 2009]: Fuzzy Model

(5)

(Inputs)

(Fuzzy Sets Theory)

(Outputs)

(Rules)

(Flexible)

(1-5)

2- Sugeno Type

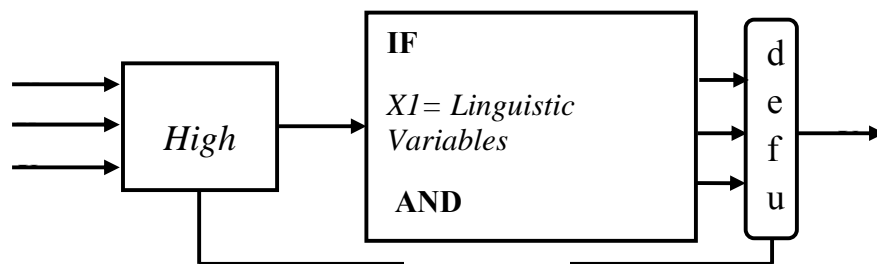
(Mamdani)
(Sugeno)

:

(6)

(Linguistic Variables)

:



:(4)

(X3=) (X2=) (X1=)
: (Low) (Medium) (High) (Linguistic Variables)

IF *X1=Low* **AND** *X2=Low* **AND** *X3=medium* **THEN** *Y=Accept*

IF *X1=High* **AND** *X2=medium* **AND** *X3=High* **THEN** *Y=NonAccept*

(44.0765)

Cutoff Point

:(3)

عدد خاص بوقائع المؤتمر العلمي الرابع كلية علوم الحاسوب والرياضيات

	<i>T.H</i>	<i>T.S</i>	<i>SO₄</i>			
	184	1129	190	0.1273		
	1766	10164	476.6	0.4841		
	600	1834	500	0.2409		
	376	1555	560	0.1728		
	1350	4469	2150	0.4841		
	2350	4524	2520	0.6355		
	390	682	210	0.1280		
	2000	3274	2138	0.5101		
	500	873	212	0.1326		
	481.5	754	141	0.1317		
	561.5	1293	446	0.1358		
	1612	2024	750	0.4842		
	2840	5708	3300	0.8552**		
	1460	3131	1700	0.4841		
	2385	4583	2037	0.5007		
	480	830	375	0.1316		
	1150	1863	692	0.4333		
	2240	10996	2589	0.6140		
	2440	3082	1850	0.4841		
	286	579	36	0.1254		
	270	396	17	0.1251*		

: (7)

() .1

			2.
)		(3.
		(3)	4.
(*)			
	()	(**)	()
			:
"		" (2005)	1.
	"	" (1979)	2.
		" (2004)	3.
		"	
	" (2011)		4.
"			

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